100 Performance

ENGR 3410 - Computer Architecture Mark L. Chang Fall 2008

What things are important when buying a computer?

• What features do you look for when buying one?

Computer "Performance"

- MIPS (Million Instructions Per Second) vs. MHz (Million Cycles Per Second)
- Throughput (jobs/seconds) vs. Latency (time to complete a job)
- Measuring, Metrics, Evaluation what is "best"?

Hyper
Pipelined
Technology

3.09 GHz Pentium 4

The PowerBook G4 outguns Pentium III-based notebooks by up to 30 percent.*

* Based on Adobe Photoshop tests comparing a 500MHz PowerBook G4 to 850MHz Pentium III-based portable computers

Performance Example: Planes

Airplane	Passenger Capacity	Cruising Range (miles)	Cruising Speed (mph)	Passenger Throughput (passengermile/hour)
Boeing 777	375	4630	610	228,750
Boeing 747	470	4150	610	286,700
Concorde	132	4000	1350	178,200
Douglas DC8	146	8720	544	79,424

- Which is the "best" plane?
 - Which gets one passenger to the destination first?
 - Which moves the most passengers?
 - Which goes the furthest?
- Which is the "speediest" plane (between Seattle and NY)?
 - Latency: how fast is one person moved?
 - Throughput: number of people per time moved?

Computer Performance

• Primary goal: execution time (time from program start to program completion)

$$Perf \ orman e = \frac{1}{Execution Time}$$

To compare machines, we say "X is n times faster than Y"

$$n = \frac{Perf\ orman \boldsymbol{e}_x}{Perf\ orman \boldsymbol{e}_y} = \frac{ExecutionTime_y}{ExecutionTime_x}$$

• Example: Machine *Orange* and *Grape* run a program
Orange takes 5 seconds, Grape takes 10 seconds

Orange is _____times faster than Grape

Execution Time

- Elapsed Time
 - counts everything (disk and memory accesses, I/O, etc.)
 - a useful number, but often not good for comparison purposes
- CPU time
 - doesn't count I/O or time spent running other programs
 - can be broken up into system time, and user time
- Example: Unix "time" command

```
fpga.olin.edu> time javac CircuitViewer.java
3.370u 0.570s 0:12.44 31.6%
```

- Our focus: user CPU time
 - time spent executing the lines of code that are "in" our program

CPU Time

CPU execution time for a program = CPU clock cycles * Clock period

CPU execution time for a program = CPU clock cycles to Clock rate

Application example:

A program takes 10 seconds on computer *Orange*, with a 400MHz clock. Our design team is developing a machine *Grape* with a much higher clock rate, but it will require 1.2 times as many clock cycles. If we want to be able to run the program in 6 second, how fast must the clock rate be?

ORANGE: $10s = \frac{N \text{ Cycles}}{400 \times 10^6 \text{ Cycles}} = 4000 \times 10^6 \text{ Cycles}$ $GRAPS: 6s = \frac{1.2 \times 4000 \times 10^6 \text{ Cycles}}{R}$ R = 800 MU2

CPI

• How do the # of instructions in a program relate to the execution time?

```
CPU clock cycles for a program = Instructions for a program * Average Clock Cycles per Instruction (CPI)
```

CPI Example

- Suppose we have two implementations of the same instruction set (ISA).
- For some program

Machine A has a clock cycle time of 10 ns. and a CPI of 2.0 Machine B has a clock cycle time of 20 ns. and a CPI of 1.2

What machine is faster for this program, and by how much?

CPU clock cycles
$$A = I \times \lambda.0$$

B = $I \times 1.2$

CPU Time $A = I \times \lambda.0 \times 10$ $I = \lambda.0 \times I$ he

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 $A = I \times 1.2 \times$

Computing CPI

- Different types of instructions can take very different amounts of cycles
- Memory accesses, integer math, floating point, control flow

$$CPI = \sum_{types} (Cycles_{type} * Frequency_{type})$$

Instruction Type	Type Cycles	Type Frequency	Cycles * Freq
ALU	1	50%	0.5
Load	5	20%	(0)
Store	3	10%	0,3
Branch	2	20%	6,4
		CPI:	2.2

CPI & Processor Tradeoffs

Instruction Type	Type Cycles	Type Frequency
ALU	1	50%
Load	5	20%
Store	3	10%
Branch	2	20%

How much faster would the machine be if:

1. A data cache reduced the average load time to 2 cycles?

2. Branch prediction shaved a cycle off the branch time?

$$6.4 \Rightarrow 0.2$$
 $\frac{2.2}{2} = 1.1x$

3. Two ALU instructions could be executed at once?

$$1/4 , 5 = 0.5 \times .5 \rightarrow \frac{2.2}{1.8} = 1.22 \times$$

Warning 1: Amdahl's Law

The impact of a performance improvement is limited by what is NOT improved:

Execution time after improvement = Execution time affected + Execution time affected + Amount of improvement

Example: Assume a program runs in 100 seconds on a machine, with multiply responsible for 80 seconds of this time. How much do we have to speed up multiply to make the program run 4 times faster?

$$255 = 205 + 805 \times \frac{1}{N}$$
 $N = \frac{80}{5}$

$$N = \frac{\sqrt{2}}{80}$$

5 times faster?

Warning 2: MIPs, MHz ≠ Performance

Higher MHz (clock rate) doesn't always mean better CPU Orange computer: 1000 MHz, CPI: 2.5, 1 billion instruction program

$$T = \frac{10 \times 2.5}{2.55} = 2.55$$

T = $\frac{18 \times 2.5}{500 \text{MHz}}$ = 2.55 Grape computer: 500MHz, CPI: 1.1, 1 billion instruction program

Higher MIPs (million instructions per second) doesn't always mean better CPU

1 MHz machine, with two different compilers Compiler A on program X: 10M ALU, 1M Load Compiler B on program X: 5M ALU, 1M Load

$$A : 10M + 1.5M = 15M$$
 $B : 5M + 1.5M = 10M$

Execution Time: A B

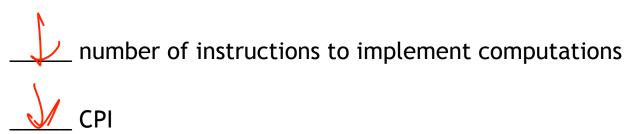
Instruction Type	Type Cycles	
ALU	1	
Load	5	
Store	3	
Branch	2	

Processor Performance Summary

• Machine performance:

```
CPU execution time for a program * CPI * Clock rate
```

• Better performance:





• Improving performance must balance each constraint Example: RISC vs. CISC